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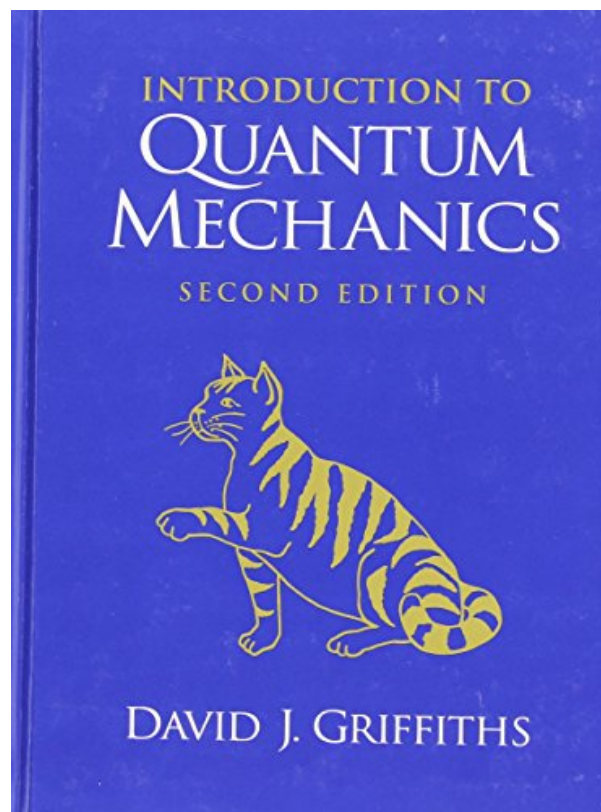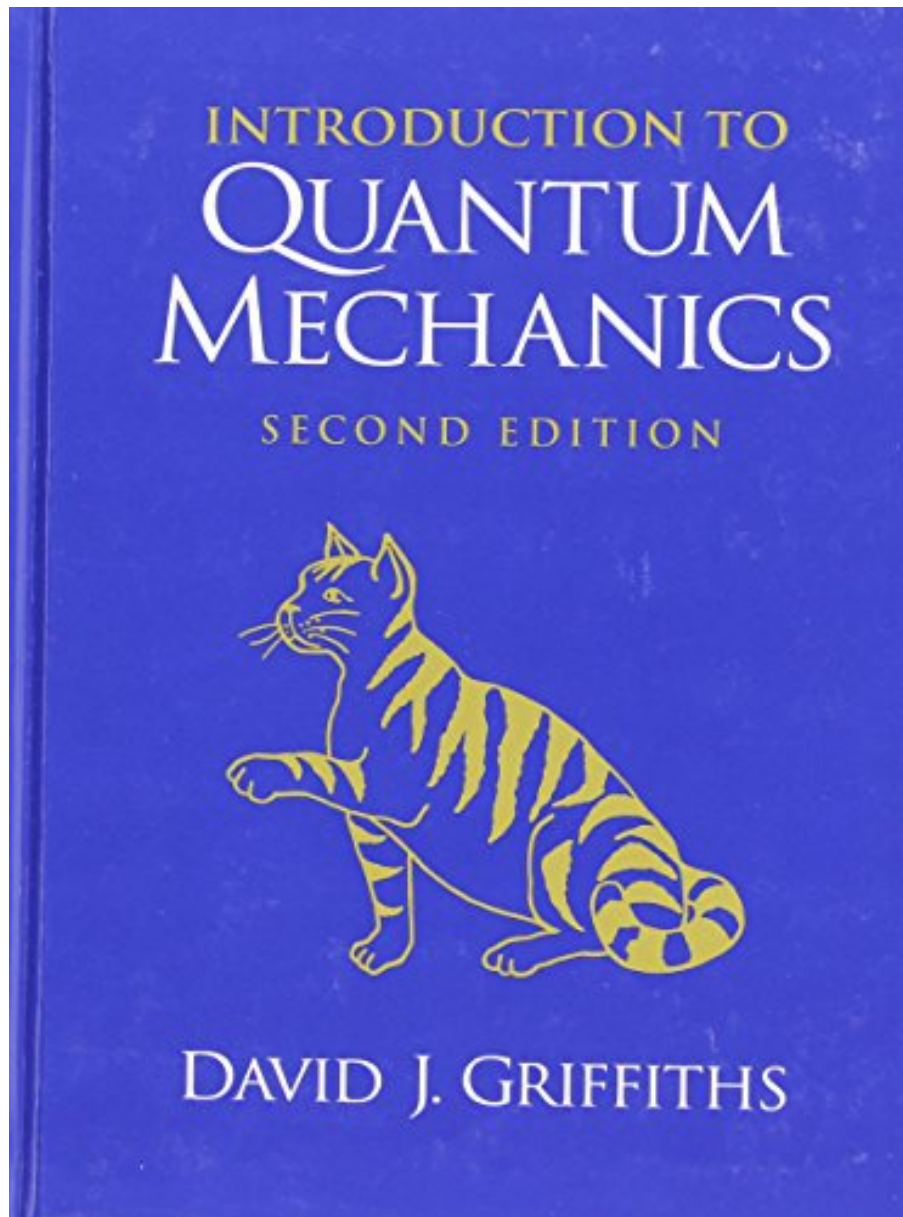

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This book first teaches learners how to do quantum mechanics, and then provides them with a more insightful discussion of what it means. Fundamental principles are covered, quantum theory presented, and special techniques developed for attacking realistic problems. The book¿s two-part coverage organizes topics under basic theory, and assembles an arsenal of approximation schemes with illustrative applications. For physicists and engineers.

- Sales Rank: #155296 in Books
- Published on: 2004-04-10
- Original language: English
- Number of items: 1
- Dimensions: 9.47" h x 1.17" w x 7.42" l, 1.86 pounds
- Binding: Hardcover
- 480 pages

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